
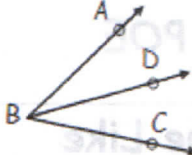
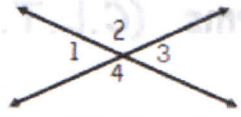
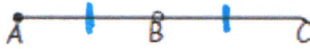
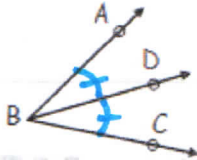
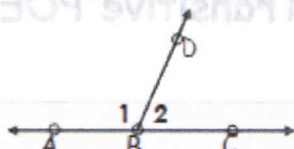


Properties, Definitions, Postulates, & Theorems	If	Then	Picture/Example
<i>Algebraic Properties of Equality</i>			
Addition POE	If $a = b,$ $m\angle 1 = m\angle 3$	Then $a + 3 = b + 3$ $m\angle 1 + m\angle 2 = m\angle 3 + m\angle 2$	If $x - 5 = 10,$ then $x = 15.$
Subtraction POE	If $AB = CD$ $m\angle ABC = m\angle DEF$	Then $AB - EF = CD - EF$ $m\angle ABC - m\angle 2 = m\angle DEF - m\angle 2$	If $2x + 7 = 14$ then $2x = 7$
Multiplication POE	If $a = b$	Then $3a = 3b$	If $\frac{1}{2}a = 10$ then $a = 20$
Division POE	If $4x = 16$	Then $x = 4$	If $2a = 10$ then $a = 5$
Substitution	If $a = b$ $y = 3x + 5$ and $x = 2$	Then A and b can be substituted for each other in any equation or inequality $y = 3(2) + 5$ or $y = 11$	
Distributive POE	If $2(x + 5)$	Then $2x + 10$	
Combine Like Terms (C.L.T.)	If Like terms are on the SAME SIDE of the equation	Then You can simplify them.	$5x + 2x = 35$ $7x = 35$
Reflexive POE	If a is a number	Then $a = a$	$AB = AB$ $m\angle 2 = m\angle 2$
Symmetric POE	If $AB = CD$	Then $CD = AB$	If $x = 7 + a,$ then $7 + a = x$
Transitive POE	If $AB = CD, CD = EF$	Then $AB = EF$	

Algebraic Properties of Congruence

Reflexive POC	If a is a number	Then $a \cong a$	$\overline{AB} \cong \overline{AB}$ $\angle 2 \cong \angle 2$
Symmetric POC	If $AB \cong CD$	Then $CD \cong AB$	If $5 = x$, then $x = 5$
Transitive POC	If $AB \cong CD, CD \cong EF$	Then $AB \cong EF$	If $\angle 1 \cong \angle 2$, $\angle 2 \cong \angle 3$ then $\angle 1 \cong \angle 3$.

Geometric Properties

Definition of congruence <i>Def \cong</i>	If Segments are \cong Angles are \cong	Then Their lengths are = Their measures are =	If $\overline{ST} \cong \overline{RW}$, then $ST = RW$ If $\angle 1 = \angle 2$, then $m\angle 1 = m\angle 2$
Segment Addition Postulate <i>Seg Add Post</i>	If B is between A and C	Then $AB + BC = AC$	 $AB + BC = AC$
Angle Addition Postulate <i>Angle Add Post</i>	If D is in the interior of $\angle ABC$	Then $m\angle ABD + m\angle DBC = m\angle ABC$	
Vertical Angle Theorem <i>Vert Angle Thrm</i>	If 2 \angle 's are vertical \angle 's	Then The angles are \cong	
Definition of Midpoint <i>Def midpt</i>	If B is the <u>midpoint</u> of \overline{AC}	Then $\overline{AB} \cong \overline{BC}$	
Definition of bisector <i>Def of bisect</i>	If \overline{BD} bisects $\angle ABC$ B bisects \overline{AC}	Then $\angle ABD \cong \angle DBC$ $\overline{AB} \cong \overline{BC}$	
Linear Pair Theorem	If 2 \angle 's form a linear pair $\angle 1$ and $\angle 2$ are a linear pair	Then The two angles are supplementary $\angle 1$ and $\angle 2$ are supplementary	

Definition of Supplementary Angles <i>Def Supp \angle</i>	If 2 angles are supplementary $\angle 3$ and $\angle 4$ are supplementary	Then Their measures have a sum of 180° $m\angle 3 + m\angle 4 = 180^\circ$	
Definition of Complementary Angles <i>Def Comp \angle</i>	If 2 angles are complementary $\angle 1$ and $\angle 2$ are complementary	Then Their measures have a sum of 90° $m\angle 1 + m\angle 2 = 90^\circ$	
Def. of right \angle	If $\angle ABC$ is a <u>right angle</u>	Then $m\angle ABC = 90^\circ$	
Right angle \cong theorem	If Angles are right angles	Then They are congruent <i>(all right angles are \cong)</i>	<i>If $\angle 1$ and $\angle 2$ are right \angle, then $\angle 1 \cong \angle 2$</i>
Def. of \perp	If Two lines are perpendicular $\overline{AB} \perp \overline{CD}$	Then They form right angles <i>$\angle CDB$ is a right angle</i>	
Congruent Complements theorem <i>\cong Comp thrm</i>	If Two angles are complementary to the same angles. $\angle 1$ is complementary to $\angle 2$ $\angle 3$ is complementary to $\angle 2$	Then The two angles are congruent $\angle 1 \cong \angle 3$	
Congruent Supplements theorem <i>\cong Supp thrm</i>	If Two angles are supplementary to the same angles. $\angle 1$ is supplementary to $\angle 2$ $\angle 1$ is supplementary to $\angle 3$	Then The two angles are congruent $\angle 2 \cong \angle 3$	
$\cong \angle$'s sup \rightarrow right \angle 's	If Two congruent angles are supplementary	Then Then each angle is a right angle	
Parallel/Perpendicular Lines Properties and Theorems			
Def. of \perp bisector	If A line is perpendicular to a segment at its midpoint	Then It is the perpendicular bisector	
2 intersecting lines form lin. Pr. Of $\cong \angle$'s \rightarrow lines \perp .	If Two intersecting lines form a linear pair of congruent angles	Then The lines are perpendicular	